

# Real Time Computation and Temporal Coherence of Opacity Transfer Functions for Direct Volume Rendering of Ultrasound Data

Correspondence: Bernhard Petersch, Advanced Computer Vision GmbH (ACV)

Donau-City-Strasse 1, 1220 Vienna, Austria.

E-mail: [bernhard.petersch@acv.ac.at](mailto:bernhard.petersch@acv.ac.at)

phone: +43 1 2696255-130

fax: +43 1 2696255-200

Co-authors: Johannes RUISZ (ACV), Markus HADWIGER (VRVis Research Center), Helwig HAUSER (VRVis Research Center), Dieter HÖNIGMANN (ACV)

Number of pages: 46

Number of figures: 11

## Abstract

Opacity transfer function (OTF) generation for direct volume rendering of medical image data is an intensely discussed subject. Several automatic methods exist for CT and MRI data, which are not apt for ultrasound data, mainly due to its low signal-to-noise ratio. Furthermore, ultrasound (US) imaging is able to produce time-varying 3D datasets in real time thus opening the door to 4D visualization. However, OTF design for 4D datasets has not been exhaustively discussed until now. We present an efficient solution to generate an optimized OTF for a given 3DUS dataset in real time. Our method results in excellent visualization which we demonstrate using 3D fetus datasets. Finally, we discuss the applicability of our method to 4DUS visualization.

Keywords: 3D/4D ultrasound, direct volume rendering, transfer function

## 1 Introduction

While 2D ultrasound is an established medical imaging modality since long ago, 3D ultrasound imaging (3DUS) has continually gained importance in many medical fields during the last few years [1], [2], [3], [4], [5]. Ultrasound imaging has many advantages in comparison to computerized tomography (CT), magnetic resonance imaging (MRI). The absence of ionizing radiation renders the installation of special treatment rooms unnecessary and provides diagnostic possibilities wherever more invasive techniques are prohibitive, like for example in fetal imaging.

Not surprisingly, despite the rather noisy nature of the images, US imaging is

the method of choice for many diagnostic tasks nowadays. With the ever increasing computational power of available computer hardware and advances in algorithms for visualization of three-dimensional digital data, 3DUS has found its way into everyday clinical life. E.g., in *radiotherapy*, 3DUS is used for applications as diverse as prostate segmentation for radiotherapy treatment planning [6], [7], [8], patient positioning for prostate treatment [9], or breast biopsy and monitoring of carotid atherosclerosis in response to therapy [10]. Within the field of *ophthalmology*, diagnosis and quantitative analysis of various ocular diseases like choroidal melanoma or retinoblastoma can be assisted by 3DUS [11], [12]. *Cardiology* is a classic US domain and the extension from 2D to 3D scanning techniques promises for example better pre- and post-surgical planning, improved measurement of heart functions, decreased exam times, better quantification of size, shape and function of the heart, improved localization of abnormalities for surgical planning [13], facilitated analysis of septal defects [14], or more accurate quantification of cardiac chamber volume, mass and ventricular functions [15]. *Intravascular US (IVUS)* likewise profits from 3D scanning techniques, providing better quantitative analysis of degree and extent of coronary/artery plaque [16], [17], [18], [19]. In *obstetrics* and *gynecology* 3DUS has also been found to be a valuable and powerful diagnostic

tool, fetal imaging being one of the most popular 3DUS applications [20], [21]. Nelson, Pretorius et al. provide an overview over this exciting domain [5].

However, while the visualization of two-dimensional medical data is rather trivial, visualization of three-dimensional data is not. Basically, there are two approaches for visualization of these data sets, namely those based on *surface extraction* and *direct volume rendering*. The latter is a method which is readily available for visualization of volumetric data without the need to compute an explicit surface model prior to visualization. For this reason, direct volume rendering is particularly popular. This is especially true for modalities where the segmentation task is difficult to handle. 3DUS imaging is one of these modalities. The following US image characteristics make many conventional segmentation and visualization techniques fail:

- The coherent nature of the ultrasound imaging pulse is responsible for interference effects and the appearance of *speckle artifacts* which often exceed the specular echo intensity.
- The dynamic range is much lower than in CT or MRI.
- Variations in the intensity of neighboring voxels are high, even within areas of homogeneous tissue. Rather, signal intensity locally increases at the

*interface* between adjacent tissues.

- Boundaries show varying gray level caused by the variation of surface curvature and orientation to the sound source. The regions representing boundaries are not sharp but show a width of several pixels.
- Surfaces are partially or completely shadowed from objects closer to and within the direction of the sound source.
- Sonography is a highly interactive modality: the physician moves the sound source and expects to immediately see the image from the new point-of-view. Thus, all visualization techniques need to work in or near real-time.

It is important to understand that in the direct volume rendering approach the delineation of the surface by some kind of 3D segmentation of the original data set is replaced by applying an *opacity transfer function* (OTF). Proper design of this function, which maps voxel properties to opacities, is of great importance and determines the final result of the visualization process, as one can see in Figure 8.

Georgios Sakas et al. were among the first to point out that MRI and CT surface reconstruction techniques do not yield reasonable results if applied to ultrasound data [20][21]. Instead, they suggest a multi-scale *binarize, low-pass, threshold & propagate* (BLTP) method to preprocess the volumetric data. Sub-

sequently, they employ direct volume rendering for surface visualization, using a slightly modified version of Marc Levoy’s standard volume rendering pipeline [22]. Their approach yields pleasing results in case of data sets with high contrast between the structures of interest and the background. In the conclusions of [20], they state that a surface extraction method which adapts to the local characteristics could improve the appearance of the rendered volume. We propose the adaptation of the OTF using surface information.

This paper is organized as follows: We briefly summarize previous work on OTF design in section 2 and discuss the most commonly used OTF in 3D sonography, a piecewise linear OTF, in section 3. In section 4 we introduce our methodology to adjust OTFs to a specific data set in an automated way, presenting an alternative family of parabolic OTFs which outperform linear OTFs in matters of image contrast. Section 5 deals with the subject of “temporal coherence”, e.g. the question whether a single initial OTF or view-dependent OTFs are superior in visualizing *time varying* datasets. The paper ends with results achieved by our approach in section 6 and conclusions in section 7.

## 2 Previous Work

In the past different OTF design approaches have been suggested. Basically, there are two classes, namely these which require user interaction, and those which work fully automatic. Among the latter is a stochastic optimization technique based on objective measures of the rendered image suggested by Taosong He et al. [23]. Unfortunately, their evolutionary approach is computationally demanding, and the definition of objective measures for rendered ultrasound data is not easy.

A different approach based on *histogram volumes* has been proposed by Gordon Kindlmann et al. in [24]. This approach unfortunately requires that the regions of interest are boundaries between different materials modeled by a step edge. This is a reasonable assumption for anatomical structures in CT data sets, but not for ultrasound data. An extension of this method toward multidimensional transfer functions by Kniss et al. aims at the visualization of multivariate volume data [25]. An OTF design technique using 3D filter responses proposed by Yoshinobu Sato et al. [26] uses even more detailed models of local structures such as sheets, lines, and blobs, and is thus not applicable to ultrasound data, either.

A 3D field topology approach by Issei Fujishiro et al. [27] as well as the eval-

uation of the *contour spectrum* by Chandrajit Bajaj et al. [28] are based on the evaluation of isosurfaces. As discussed above, in sonography tissue boundaries often show varying gray levels caused by the variation of surface curvature and orientation to the sound source, or shadowing. The structure of interest will thus most probably not match with an isosurface.

Christof Rezk–Salama et al. suggested to use manually designed “optimal” transfer functions as reference templates [29]. By *non-linear time warping* they compute a non-linear distortion of the data value axis to obtain alignment of the normalized histograms of both the reference data set and the data set currently under examination. Unfortunately, for sonographic data alignment of the histograms is not a sufficient criterion to obtain a pleasing visualization.

Hence, although all these automated transfer function design techniques have proven to be useful in many visualization tasks the unique characteristics of sonographic data prevents their application.

### **3 Piecewise Linear Opacity Transfer Functions**

The most commonly used transfer function for rendering of volumetric ultrasound data is based on Marc Levoy’s seminal paper on direct volume rendering [22]. He suggested an opacity transfer function considering the intensity



$I(x_i)$  of a voxel  $x_i$  as well as its gradient  $\nabla I(x_i)$ . Because of the low signal-to-noise ratio of sonographic data and the high sensitivity of the gradient to noise this transfer function is hardly ever used for ultrasound data visualization directly. Rather, it is common practice to either preprocess the data as proposed by Sakas in [20] and [21], or to base the transfer function solely on image intensity. In the latter case, a commonly used OTF is a simple piecewise linear monotonically increasing function

$$\alpha(I) = \begin{cases} 0 & \text{if } I < L_L, \\ a(I - L_L) & \text{if } L_L \leq I \leq L_H, \\ a(L_H - L_L) & \text{if } I > L_H. \end{cases} \quad (1)$$

This OTF resembles a “fuzzy” segmentation of the entire data volume by an intensity threshold: Voxels with intensities  $I$  below  $L_L$  are classified as “invisible”, i.e., their opacity  $\alpha$  is set to zero. Intensities between  $L_L$  and  $L_H$  have increasing opacities while intensities above  $L_H$  yield maximum opacity. An OTF of this form is useful for visualization of anatomical structures embedded in hypoechoic areas, i.e. areas with low signal intensity. A typical example is the data set of a fetus floating in amniotic fluid. For the result one obtains for  $L_L = 20, a = 0.5$ , and  $L_H = 255$  see Figure 8(b). The shape of the OTF is motivated by an increase in signal intensities near tissue boundaries, such as the

interface between amniotic fluid and fetal tissue (see Figures 2 and 3).

Despite the simplicity of (1) three parameters need to be determined. Usually, this adjustment has to be done manually on a trial-and-error basis not only for every single data set but also depending on the view. It is also not clear whether a piecewise linear OTF allows to obtain an optimal visualization for a given data set. Thus, before going for automated OTF design, it was imperative to investigate in which way the choice of a specific initial OTF influences the contrast in rendered images.

#### **4 Adaptive OTF Design**

One of the most important applications of volume rendering of 3DUS data is the visualization of a fetus embedded in amniotic fluid. We therefore based our theoretical considerations about contrast enhancement on a simple two-intensity data model mimicking this scenario: tissue of high signal intensity  $c_1$  is located behind some lower intensity area with signal intensity  $c_2$ . In order to produce a 2D projection of voxel values in the viewing plane we use the *volumetric compositing stage* proposed by Marc Levoy in [22]: Rays are cast from the eye into the voxel arrays and color and opacity information are combined into single values to provide a final pixel intensity. For our data model, we assume that, in

viewing direction, the rays first pass through voxels with intensity  $c_2$ , and that the intensity changes to  $c_1$  at a distinct position  $k^*$ . For a single voxel at position  $k$  along the ray,

$$C_{out} = C_{in}(1 - \alpha(k)) + c(k)\alpha(k), \quad (2)$$

with  $C_{out}$  the outgoing intensity and color for the voxel,  $C_{in}$  the incoming intensity,  $\alpha(k)$  the opacity assigned to the voxel at position  $k$  along the ray and  $c(k)$  its color or intensity. The final intensity  $C(r)$  due to the set of  $K$  voxels that intercept the ray  $r$  is given by

$$C(r) = \sum_{k=0}^K \left( c(r,k)\alpha(r,k) \prod_{i=k+1}^K (1 - \alpha(r,i)) \right), \quad (3)$$

where  $(r,k)$  is the  $k$ -th voxel along the  $r$ -th ray, and  $c(r,0)$  is the color of an opaque background, i.e.  $\alpha(r,0) = 1$ .

Based on this rendering scheme and our data model, we compared the performance of linear, parabolic ( $\alpha(I) = a \cdot I^2, \forall I$ ) and 4th order parabolic OTFs ( $\alpha(I) = a \cdot I^4, \forall I$ ). We found that, from a theoretical point of view, parabolic OTFs outperform linear OTFs concerning image contrast. The complete analysis can be found in [30].

We now provide means to adjust an OTF to a specific data set. We aim at an automated adjustment to allow the online computation of an optimal OTF for acquired volume data sets at high frame rates. Unfortunately, we lack an objec-

tive function which would allow to tune the OTF by an optimization approach. Nevertheless, we aim at an automated adaptation of OTFs. To achieve this goal we take an heuristic approach as follows: We detect the interface between tissue  $H$  with high echogenicity and low echogenic area  $L$ . Subsequently we use information about  $H$  and  $L$  to modify an initial OTF. The task of choosing an appropriate surface is not easy. There are the following difficulties: Because of the noisy characteristics of ultrasound data, it might be difficult to identify the interface between  $H$  and  $L$  (see Figure 2). There might be multiple interfaces of equal magnitude, but at different intensities. If we have identified the interface between  $H$  and  $L$ , most probably it will be some kind of noisy ramp rather than one distinct step edge.

Figure 1

#### 4.1 Surface Detection

The proposed methodology for estimating the tissue surface is based on the evaluation of so called *tube cores*. Having defined the  $z$ -axis parallel to the ray casting direction, a tube core is a collection of voxels gathered by traversing the volume in  $z$ -direction with a specific diameter. Considering the discrete framework, we specify the diameter by its width in  $x$ - and  $y$ -direction in voxels. A tube core resembles an intensity profile as in Figure 2, but has an extension

greater than one in x- and y-direction. Using a tube core width greater than one is motivated by the noise inherent in ultrasound data. We place these tube cores in an equally spaced grid. In order to further reduce the effects of low signal-to-noise ratio we evaluate the signal intensities along a tube core  $t$  within cells  $C_i^t$  of specific depth. The size of these cells is thus defined by the diameter of the tube core and the cell depth. We may then assess statistical parameters of the signal intensities within the cells, such as the mean signal intensity  $I(C_i^t)$ . Our goal is the detection of the position of a surface within the tube core. The measure we use for this task is the *variance of the intensities* within the cells. Thus, we use this parameter as *interface indicating function*. We will expunge the only disadvantage of this parameter, the missing information about edge direction, by subsequent processing.

Figure 2

Figure 3

Choosing the interface indicating function does not provide the final solution of our problem, the detection of the interface we want to visualize. A closer look at the graph of the interface indicating function in Figure 1 unveils that it is not sufficient to look for the global maximum. Rather, we are looking for the first significant local maximum, in viewing direction.

We adopted the *scale space filtering* approach, originally proposed by Witkin [31], to this problem. This method describes signals in terms of their extrema, managing ambiguity of scale in an organized and natural way. The signal is expanded by convolution with Gaussian kernels of decreasing size over a continuum scales. We track interfaces, i.e. maxima of the interface indicating function, in the vicinity of the result of the interface detection in the previous scale. Within this range we choose the first local maximum in viewing direction. We iterate this procedure until we finally locate an interface in the original scale. The multiscale detection of the interface in Figure 3 is depicted in Figure 1. The suggested method does not necessarily detect the most prominent nor the very first interface in the tube core.

#### **4.2 Transfer Function Modification**

The aim of modification of the OTF is to reduce opacity for intensities which typically appear *prior* to the detected surface while enhancing opacity of the intensities located *at* the surface. Our approach is a multiplicative one. We start with an OTF of parabolic shape and modify the initial OTF by one basis function per tube core. Let  $x$  denote the intensity and  $T$  the number of tube cores used, then the OTF  $\alpha(x)$  reads

$$\alpha(x) = \prod_{t=1}^T f_t(x) \cdot x^2 \quad (4)$$

We will now elaborate on the calculation of  $f_t(x)$ . First of all we extract two parameters for every tube core  $t$ : The mean signal intensity  $I_L^t$  of all cells prior to the position of detected surface  $s_t$ , and the mean signal intensity  $I_H^t$  of the cell located exactly at the detected surface. Then, we design each individual basis function  $g_t(x)$  to have a minimum at  $I_L^t$  and a maximum at  $I_H^t$ . One family of functions suitable for this task are functions of the form

$$g_t(x) = axe^{-b(x-c)^2}, \quad (5)$$

which we scale to the range of values  $[-1;1]$  with a maximum at  $I_H^t$  and a minimum at  $I_L^t$  by choosing

$$a = \sqrt{2be}, \quad b = \frac{2}{(I_H^t - I_L^t)^2}, \quad c = \frac{1}{\sqrt{2b}} + I_L^t. \quad (6)$$

Figure 4

We now have to transform the basis function to an appropriate range for multiplication, i.e.

$$f_t(x) = (1 + d_t)^{g_t(x)}. \quad (7)$$

Since the range of  $g_t(x)$  is  $[-1;1]$ ,  $f_t(x)$  ranges from  $1/(1 + d_t)$  to  $(1 + d_t)$ , thus “raising” or “lowering” the parabolic basis function at the corresponding inten-

sity  $x$  (see equation 4). The parameter  $d_t (> 0)$  determines the weight of the tube core  $t$ . Its calculation is based on the “quality” of the tube core, that is the reliability of the surface extraction within this tube core. The proposed method for detecting tissue interfaces works very well even for data with low signal-to-noise ratio, but it does not detect the correct interface in every single case. On the other hand, it might even happen that there is no interface at all to detect, since the position of the tube core is outside the anatomical structures we want to visualize. Therefore, we have to provide means to detect these cases and eliminate their influence on the final OTF. This is done by assigning *higher values of  $d_t$*  to tube cores with *highly reliable surface detection* and vice versa. There are two constraints at hand for determining the reliability of surface detection. First, the maximum intensity before the surface must not exceed a certain value. Otherwise, we either detected too deep an interface, or the entire tube core is located within hyperechoic tissue. Hence, we compute a quality measure  $w_f^t$  for each tube core  $t$  based on the evaluation of the mean intensities  $I(C_i^t)$  of all cells  $C_i^t$  prior to the detected surface  $s_t$ . Let  $\hat{I}_L^t$  be the maximum of these intensity values, i.e.

$$\hat{I}_L^t = \max_{i < s_t} I(C_i^t). \quad (8)$$

We then compute the histogram  $h_f$  of the maximum intensities  $\hat{I}_L^t$  of all tube



cores  $t$ . By accumulation and normalization of the histogram we finally obtain the quality factor  $w_I^t$  for a specific tube core  $t$  with maximum intensity  $\hat{I}_L^t$ :

$$w_I^t = 1 - \frac{1}{N} \sum_{I=0}^{\hat{I}_L^t} h_I(I), \quad (9)$$

with  $N$  the total number of tube cores.

Figure 5

We obtain a second quality measure  $w_S^t$  in a similar way based on the histogram  $h_S$  of intensity slopes  $S^t$  at the detected surface position  $s_t$  of every tube core  $t$ .

Again, accumulation and normalization of the histogram allows us to assess a quality factor  $w_S^t$  for a specific tube core  $t$  with slope  $S^t$ :

$$w_S^t = \begin{cases} \frac{1}{N} \sum_{S=0}^{S^t} h_S(S) & \text{if } S > 0 \\ 0 & \text{otherwise.} \end{cases} \quad (10)$$

$w_I^t$  and  $w_S^t$  allow the elimination of any influence of tube cores located within tissue of constant echogenicity, but also a reduction of the influence of surfaces with weak manifestation. In addition, we also exclude all tube cores with negative slope of intensity at the surface position, thereby eliminating the drawback of the chosen interface indicating function. We use the quality measures  $w_I^t$  and  $w_S^t$  to modulate the parameter  $d_t$  in (7): We choose

$$d_t = d_{max} \cdot w_I^t \cdot w_S^t. \quad (11)$$

The graph of all basis functions for the volume rendered in Figure 8 is depicted in Figure 4.

## **5 Temporal coherence**

Ultrasound imaging is a priori a real time imaging technique. In 2DUS imaging, physicians are used to having the acquired images displayed instantaneously, and to see the image change corresponding to the movement of the transducer if a hand held device is being used. Not surprisingly, the same is expected from 3DUS and modern 3DUS scanners are capable of providing real time 4D visualization. Three different 4D scenarios can occur:

1. static transducer - moving object
2. static object - moving transducer
3. a combination of 1. and 2.

If an OTF which is dependent on the view of the scanned anatomy - like in our case - is used for direct volume rendering of such 4D datasets, the following question arises: is it sufficient to calculate an OTF based on the initial view and render all subsequent 3D views using this same initial OTF ? Transfer functions are usually designed or generated globally without taking the actual view point into account. Even in 4D data sets involving multiple volumes, a transfer

function is usually generated for a single frame and then used identically for all frames in the sequence. The alternative would be to calculate a new OTF every time the viewing angle changes or the object moves. The latter approach would be feasible since our method is able to provide OTFs in real time (see section 6.1). The advantage of a view-dependent OTF would obviously be that the rendering result is optimized for the *given* viewing direction. Theoretically, this could improve the contrast of details in comparison to a rendering using an OTF generated from a *different* viewing angle. On the other hand, the OTF could show large variations with viewing direction. This may cause incoherence in intensity and contrast of the rendered images of a time varying sequence of volumes.

To the best of our knowledge, this matter has not been exhaustively discussed in the literature until now. Previous work on multiple transfer functions for time-varying data exclusively considers the view-independent case where the data set itself is changing over time [32].

However, if the transfer function generation itself is view-dependent, rotations of the view lead to either the same problem of coherence between multiple frames using different transfer functions, or a single global transfer function

that is not optimal for all frames.

A general problem with time-dependent transfer functions is that what is actually visualized changes over time. These automatic changes are generally not obvious to the user and may thus be difficult to interpret appropriately.

In order to evaluate which strategy produces superior visualization results, usage of a single initial OTF for rendering of time varying 3DUS datasets or recalculation of the OTF for every new viewing angle and/or time increment, we have performed the following tests. Since we had no access to real 4DUS datasets, we have simulated a 4D scenario of type 2) by rotating static 3D datasets. The rotation simulates the movement of the transducer relative to a static anatomy/object. Results of the rendering of these 4D sequences can be compared using a single OTF in one case and an OTF individually recalculated for every viewing angle in the other case. We applied this technique to both a real world dataset (the fetus of Figure 8) and an artificial dataset. The latter was aimed to mimic the scenario of a fetus embedded in amniotic fluid, only using basic geometric shapes to make differences in the rendered images (if any) more apparent. An ellipsoid, a cylinder and various spheres were used to represent object surfaces (high signal intensity), surrounded by tissue of intermediate sig-

nal intensity which featured a “window” of low signal intensity (amniotic fluid). We added speckle noise as it occurs in real world US datasets to our artificial dataset. Due to the coherent nature of the radiation used in US imaging, the statistics of the noise apparent in US images is not Gaussian but rather similar to noise as occurring in Radar images or images from applications using optical laser radiation which has Rayleigh characteristics (see [33], [34], [35]). We rotated both datasets within a range of  $[-45^\circ, +45^\circ]$  relative to an initial view in steps of  $1^\circ$ .

## 6 Results

### 6.1 OTF design

For the visualization of the  $199 \times 197 \times 199$  voxel data set in Figure 8 we use a grid of  $15 \times 15$  tube cores with an inter-tube core distance of 13 voxels in each direction and a cell size of  $5 \times 5 \times 5$  voxels. The size of the Gaussian kernels employed for setting up the scale space is  $2^n, 3 \leq n \leq 7$ . Both the original and the modified OTF are depicted in Figure 5.

By a highly efficient implementation of the proposed algorithm using the Intel<sup>®</sup> C++ Compiler 7.0 and Intel<sup>®</sup> VTune<sup>™</sup> Performance Analyzer 7.0 we yield an

OTF for this volume within 29.38 milliseconds on a 2.5 GHz Intel® Pentium® 4-based PC with 512 MB RAM. Thus, we could compute an optimal OTF at a rate of 34 volumes per second. It is worth mentioning that we did not optimize volume data access assuming that data access is one task of the ray-casting / interpolation subsystem. Expectedly, surface detection is by a factor of more than 5 more demanding than the iterative OTF design, even though scalespace has been implemented by an FFT.

Figure 6

Figure 7

Figure 8

Further examples of the quality one can obtain by following our approach are depicted in Figure 6. These are data sets of moderate quality as they often arise in 3DUS imaging in clinical settings. Of course the proposed method also yields excellent results for data sets of superior quality, such as in Figure 7.

All images presented here have been rendered in real-time using a high-quality volume renderer [36] running on current consumer graphics hardware such as an ATI Radeon 9800. The entire volume is stored in a 3D texture, which allows to perform re-sampling and evaluation of the volume rendering integral

by slicing this texture with multiple view-aligned polygons [37] and employing hardware compositing.

Compositing of sample contributions along viewing rays has been done with floating point accuracy, which is crucial for high-quality results when high sampling rates are used. Floating point rendering and compositing has become possible on the latest generation of graphics cards.

The transfer function itself is stored in a 1D texture map and can be changed interactively. Moreover, each rendered frame is allowed to use an individual transfer function.

Typical frame rates on an ATI Radeon 9800 are 30 fps for preview compositing quality (eight bits per color channel) and ten fps for high quality compositing (16 bit floating point per color channel).

Thus, the interactive generation of an OTF can easily be integrated with real-time volume rendering for display purposes.

## **6.2 Temporal coherence**

The most natural way to visualize rendering results of 4D datasets is of course to view the corresponding movies. We have therefore provided the movies showing the rotation of the fetus dataset and the artificial dataset as described in

section 5 on the WWW\*.

Figure 9 shows stills taken from these movies at distinct rotation angles. The OTFs calculated for these angles do of course differ in both datasets (see Figure 10), but only to an extent that the final rendered images are visually almost identical. This is not surprising since the surface extraction method uses information from various locations throughout the volume and thus is robust with respect to slight shifts of the tube core positions. When viewing the movies generated using an individual OTF for each viewing angle (i.e., for each frame) it appears that, while the rotational movement is smooth, the image is slightly flickering. This is due to the slight variation of the OTFs between consecutive frames. On the other hand, if one single OTF is used for rendering of the complete 4D sequence, there is no flickering and the overall impression is smooth. One possible remedy for the flickering is to locally smooth the OTF within the time domain. The OTF at  $(\alpha_n/t_n)$  thus incorporates information from OTFs at previous instances  $(\alpha_{n-m}/t_{n-m})$  which avoids abrupt changes in the OTF. Any reasonable smoothing technique can be employed, for example a moving least squares algorithm or a simple mean value. We have used both a mean value smoothing and a moving least squares calculation with a polynomial of order two, taking the past five OTFs to determine the current OTF. This OTF was

---

\*[http://www.acv.ac.at/ACV\\_Publikationen.htm](http://www.acv.ac.at/ACV_Publikationen.htm)



then used for rendering of the current frame, while the originally calculated (unsmoothed) OTF was incorporated into the calculation of the next OTF. Our tests have shown that this slight time domain smoothing effectively eliminates the flickering (the corresponding movie can be found on the WWW site mentioned). Figure 11 shows the effect of time domain smoothing on a subset of the OTFs generated for the  $90^\circ$  rotation of the fetus dataset. The additional calculations needed embarking on such a strategy are not time consuming but nevertheless only justified if view dependent OTFs yielded highly superior visualization of 4D datasets in comparison to using a single static OTF. If details were revealed at specific viewing angles which were not distinguishable using a single static OTF, a view dependent OTF would be highly advantageous.

Figure 9

Figure 10

Figure 11

## **7 Conclusions**

We presented a novel technique for adaptively designing an opacity transfer function for a sonographic data set in real time. By analyzing tube cores we

yield an estimate for the position of the most prominent tissue transition, in rendering direction, in a highly efficient way. We analyze the tube core cells *prior to* and *at* the detected interface and use this information to adaptively design an initial, parabolic OTF in a multiplicative way. Of course, the tube core modification can also be applied to OTFs of different shape. Our experiments on temporal coherence have shown that the proposed method for OTF calculation is not only very efficient but also very robust. It thus allows online-computation of OTFs for an entire sequence of acquired volumes. In a clinical setup, time domain smoothing can be employed to produce coherent image sequences whenever view dependent/time varying OTFs are desired. In our tests, OTFs calculated from a large range of viewing angles ( $90^\circ$ ) of a given 3D dataset did only differ slightly. Therefore, computation of a single OTF for an entire 4D sequence might be sufficient in many cases, guaranteeing a coherent view of the 3D scenario.

## **8 Acknowledgment**

The authors would like to acknowledge the contributions of Armin Schoisswohl of GE Medical Systems Kretztechnik, Zipf, Austria, in providing the 3DUS data

sets and valuable discussions, as well as the contributions of Christoph Berger from VRVis Research Center.

This work has been carried out within the *Kplus* Competence Center ADVANCED COMPUTER VISION and was funded by the *Kplus* program. Parts of this work have been done at the VRVis Research Center, which is also funded by the Austrian *Kplus* program.

## References

- [1] A. Fenster and D. B. Downey. Three-dimensional ultrasound imaging. In J. Beutel, H. L. Kundel, and R. L. Van Metter, editors, *Handbook of Medical Imaging*, volume 1, book chapter 7, pages 463–509. SPIE, 1 edition, 2000.
- [2] Fenster, Downey, and H. N. Cardinal. Three-dimensional ultrasound imaging. *Physics in Medicine and Biology*, 46(5):R67–99, 2001.
- [3] W. Lees. Ultrasound imaging in three and four dimensions. *Seminars in Ultrasound, CT and MRI*, 22(1):85–105, 2001.
- [4] G. Sakas, S. Walter, M. Grimm, and M. Richtscheid. Free hand acquisition, reconstruction and visualization of 3d and 4d ultrasound. *Radiologe*,

40(3):295–303, 2000.

- [5] T. R. Nelson and D. H. Pretorius. Three-dimensional ultrasound imaging. *Ultrasound in Medicine and Biology*, 24(9):1243–1270, 1998.
- [6] A. Ghanei, H. Soltanian Zadeh, A. Ratkewicz, and Fang Y. Fang. A three-dimensional deformable model for segmentation of human prostate from ultrasound images. *Medical Physics*, 28(10):2147–2153, 2001.
- [7] Ning Hu. Prostate surface segmentation from 3d ultrasound images. In *Proceedings IEEE Symposium on Biomedical Imaging*, pages 613–616, 2002.
- [8] D. R. Holmes, B. J. Davis, C. J. Bruce, and R. A. Robb. 3d visualization, analysis, and treatment of the prostate using trans-urethral ultrasound. *Computerized Medical Imaging and Graphics*, 27(5):339–349, 2003.
- [9] L. G. Bouchet, S. L. Meeks, G. Goodchild, F. J. Bova, J. M. Buatti, and W. A. Friedman. Calibration of three-dimensional ultrasound images for image-guided radiation therapy. *Physics in Medicine and Biology*, 46(2):559–577, 2001.
- [10] A. Fenster, K. Surry, W. Smith, J. Gill, and D. B. Downey. 3d ultrasound imaging: applications in image-guided therapy and biopsy. *Computers and*

*Graphics*, 26(4):557–568, 2002.

- [11] P. T. Finger, A. Khoobehi, M. R. Ponce-Contreras, D. D. Rocca, and J. P. Garcia. Three dimensional ultrasound of retinoblastoma: initial experience. *British Journal of Ophthalmology*, 86(10):1136–1138, 2002.
- [12] T. Grasbon, S. Schriever, J. P. Hoops, and A. J. Mueller. 3-d ultrasound. initial experiences in various eye diseases. *Ophthalmologe*, 98(1):88–93, 2001.
- [13] R. Lang and L. Sugeng. A fantastic journey: 3d cardiac ultrasound goes live. *Radiology Management*, 24(6):18–22, 2002.
- [14] T. A. Lassige, P. J. Benkeser, D. Fyfe, and S. Sharma. Comparison of septal defects in 2d and 3d echocardiography using active contour models. *Computerized Medical Imaging and Graphics*, 24(6):377–388, 2000.
- [15] C. Corsi, M. Borsari, F. Consegnati, A. Sarti, C. Lamberti, A. Travaglini, T. Shiota, and J. D. Thomas. Left ventricular endocardial surface detection based on real-time 3d echocardiographic data. *European Journal of Ultrasound*, 13:41–51, 2001.
- [16] J. D. Klingensmith and D. G. Vince. B-spline methods for interactive segmentation and modeling of lumen and vessel surfaces in three-dimensional

- intravascular ultrasound. *Computerized Medical Imaging and Graphics*, 26(6):429–438, 2002.
- [17] R. Shekhar, R. M. Cothren, D. G. Vince, S. Chandra, J. D. Thomas, and J. F. Cornhill. Three-dimensional segmentation of luminal and adventitial borders in serial intravascular ultrasound images. *Computerized Medical Imaging and Graphics*, 23(6):299–309, 1999.
- [18] C. Haas, H. Ermert, S. Holt, P. Grewe, A. Machraoui, and J. Barmeyer. Segmentation of 3d intravascular ultrasonic images based on a random field model. *Ultrasound in Medicine and Biology*, 26(2):297–306, 2000.
- [19] G. Kovalski, R. Beyar, R. Shofti, and H. Azhari. Three-dimensional automatic quantitative analysis of intravascular ultrasound images. *Ultrasound in Medicine and Biology*, 26(4):527–537, 2000.
- [20] G. Sakas, L.-A. Schreyer, and M. Grimm. Preprocessing and volume rendering of 3d ultrasonic data. *Computer Graphics and Applications, IEEE*, 15(4):47–54, 1995.
- [21] G. Sakas and S. Walter. Extracting surfaces from fuzzy 3d ultrasound data. In *ACM SIGGRAPH 1995*, pages 465–474. ACM, 1995.

- [22] M. Levoy. Display of surfaces from volume data. *IEEE Computer Graphics and Applications*, 8(3):29–37, 1988.
- [23] Taosong He, Lichan Hong, A. Kaufman, and H. Pfister. Generation of transfer functions with stochastic search techniques. In *Proceedings Visualization*, pages 227–234, 489. IEEE, 1996.
- [24] G. Kindlmann and J. W. Durkin. Semi-automatic generation of transfer functions for direct volume rendering. In *IEEE Symposium on Volume Visualization*, pages 79–86, 170. IEEE, 1998.
- [25] J. Kniss, G. Kindlmann, and C. Hansen. Multidimensional transfer functions for interactive volume rendering. *IEEE Transactions on Visualization and Computer Graphics*, 8(3):270–285, 2002.
- [26] Y. Sato, C. Westin, A. Bhalerao, S. Nakajima, N. Shiraga, S. Tamura, and R. Kikinis. Tissue classification based on 3d local intensity structures for volume rendering. *IEEE Transactions on Visualization and Computer Graphics*, 6(2):160, 2000.
- [27] I. Fujishiro, Y. Takeshima, T. Azuma, and S. Takahashi. Volume data mining using 3d field topology analysis. *IEEE Computer Graphics and Applications*, 20(5):46–51, 2000.

- [28] C. L. Bajaj, V. Pascucci, and D. R. Schikore. The contour spectrum. In *Proceedings Visualization*, pages 167–173, 539. IEEE, 1997.
- [29] Ch. Rezk-Salama, P. Hastreiter, J. Scherer, and G. Greiner. Automatic adjustment of transfer functions for direct volume rendering. In *Proceedings Vision, Modeling, and Visualization*, pages 357–364, 2000.
- [30] D. Hoenigmann, J. Ruisz, and C. Haider. Adaptive design of a global opacity transfer function for direct volume rendering of ultrasound data. In *Visualization, 2003. VIS 2003. IEEE*, pages 489–496, 2003.
- [31] A. P. Witkin. Scale-space filtering. In *Proceedings International Joint Conference on Artificial Intelligence*, volume 2, pages 1019–1022. Morgan Kaufmann, 1983.
- [32] T. J. Jankun-Kelly and M. Kwan-Liu. A study of transfer function generation for time-varying volume data. In *Volume Graphics 2001. Proceedings*, pages 51–68, 2001.
- [33] C. B. Burckhardt. Speckle in ultrasound b-mode scans. *IEEE Transactions on sonics and ultrasonics*, 25(1):1–6, 1978.
- [34] R. F. Wagner. Statistics of speckle in ultrasound b-scans. *IEEE Transactions on sonics and ultrasonics*, 30(3):156–163, 1983.



- [35] Maria Petrou. Modelling the histogram of various classes in sar images. *Pattern Recognition Letters*, 23:1103–1107, 2002.
- [36] M. Hadwiger, C. Berger, and H. Hauser. High-quality two-level volume rendering of segmented data sets on consumer graphics hardware. In *Visualization, 2003. VIS 2003. IEEE*, pages 301–308, 2003.
- [37] R. Westermann and T. Ertl. Efficiently using graphics hardware in volume rendering applications. In *SIGGRAPH 98, Computer Graphics Proceedings*, pages 169–177, 1998.

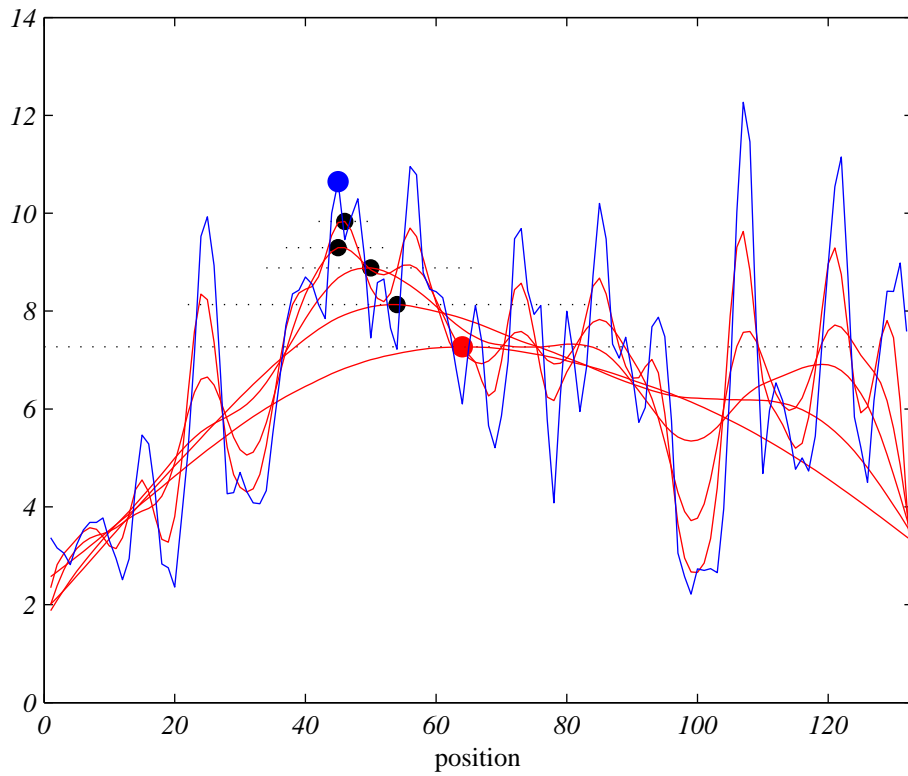


Figure 1: The interface indicating function and the position of the interface between amniotic fluid and fetal head in Figure 2 and Figure 3 is depicted in blue. Multiscale detection starts with the detection of the first local maximum at a coarse scale of the interface indicating function, indicated by the red dot. We then compute the range (dotted lines) for subsequent maximum detection at finer scales.

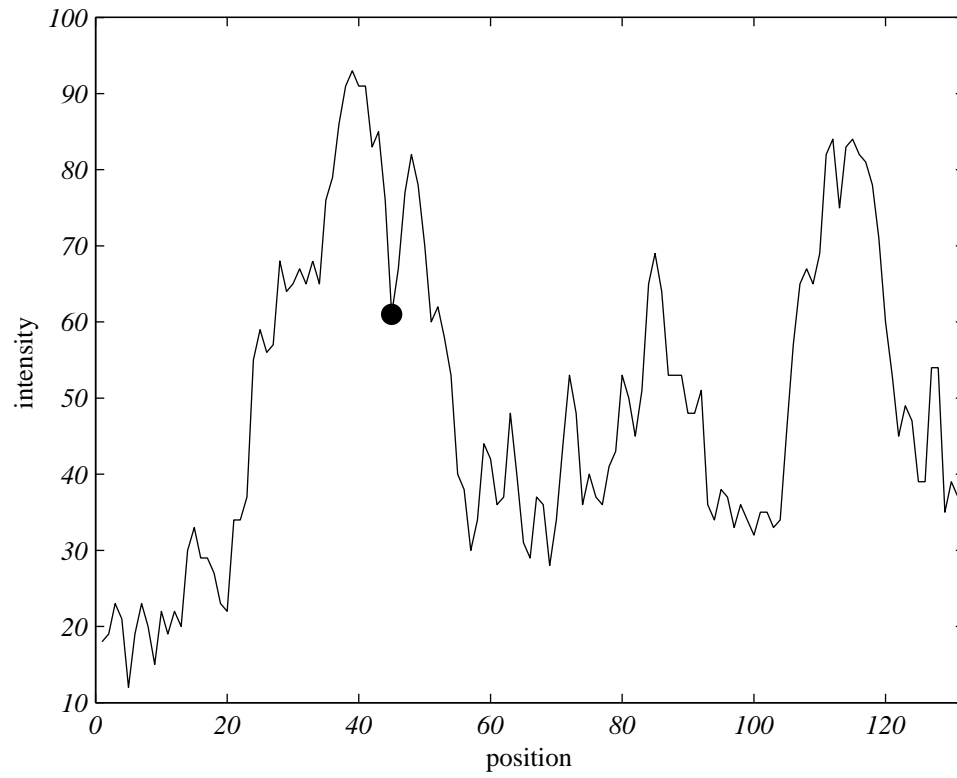


Figure 2: Signal intensity profile of the ultrasound data set of Figure 8. The position of an interface between tissue of different echogenicity is indicated by a dot. For the position of the profile see Figure 3.

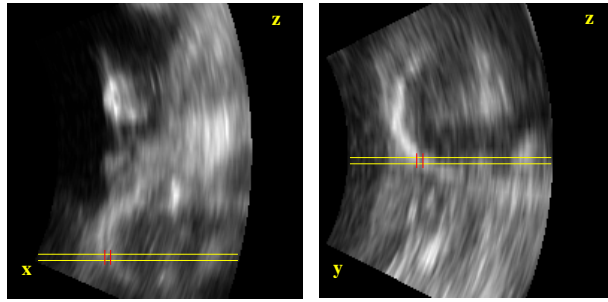


Figure 3: Two orthogonal cross sections of the ultrasound data set of Figure 8. The position of the intensity profile of Figure 2 is between the yellow lines. The position of the interface between amniotic fluid and fetal head detected by analysis of a tube core is indicated by short red lines.

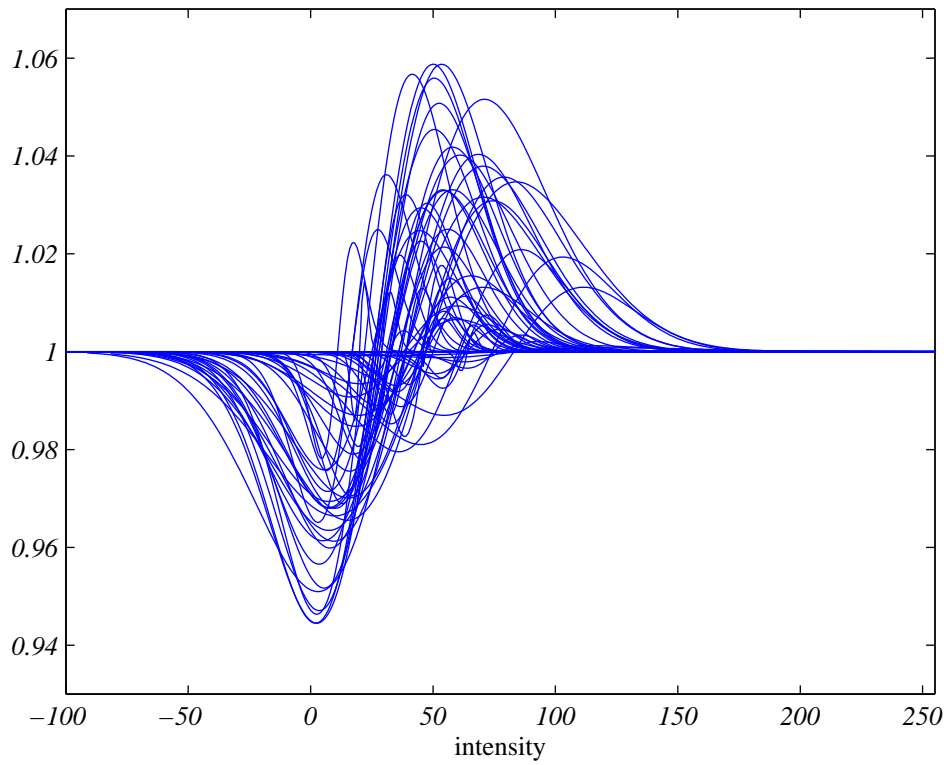


Figure 4: Graph of all basis functions  $f_t$  used to adapt the initial OTF to the data set of Figure 8 in a multiplicative way. Each basis function has a minimum at the mean intensity  $I_L^t$  prior to the detected surface and a maximum at the mean intensity  $I_H^t$  of the cell which is located at the surface detected for each tube core  $t$ . The range of  $f_t$  depends on tube core quality parameters  $w_S^t$  and  $w_f^t$ .

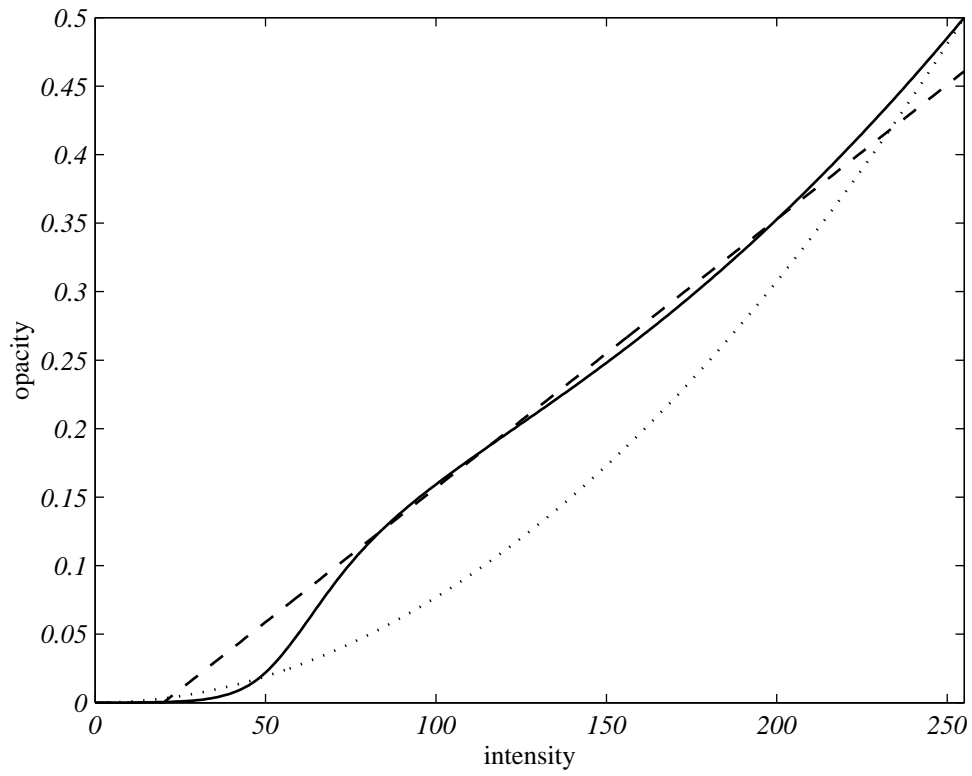


Figure 5: Dotted: initial parabolic OTF. Solid: result of the modification by basis functions of Figure 4, used in Figure 8(c). Dashed: manually adjusted piecewise linear OTF used in Figure 8(b).

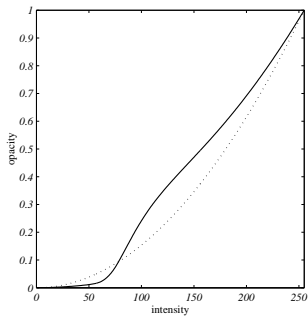
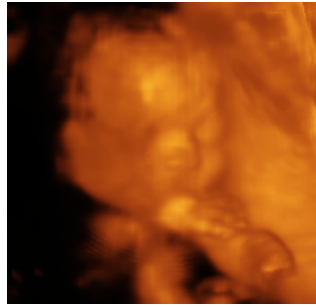
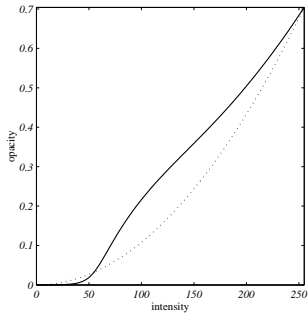


Figure 6: Further results of adaptive OTF design applied to moderate quality data sets arising frequently in clinical settings. The original OTF is indicated as dotted line, the adapted OTF as solid line.

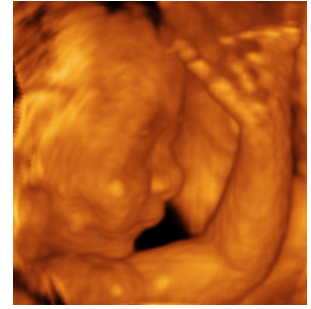
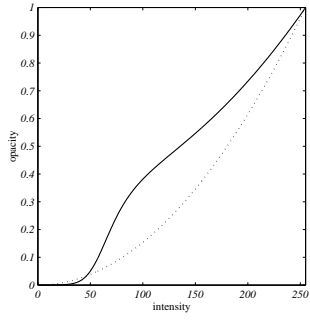


Figure 7: The adaptive OTF design also yields superior results for high quality data sets.





(a) Linear OTF



(b) Manually designed piecewise lin. OTF



(c) Adaptively designed OTF

Figure 8: Direct volume rendering of an ultrasound data set of a fetus using three different global opacity transfer functions (OTF).

## Summary:

Three dimensional ultrasound imaging is an ever increasing domain within the spectrum of medical imaging. Its various advantages over CT and MR imaging have made it a popular diagnostic tool despite its main inconvenience - the low signal-to-noise ratio. The latter together with real time data acquisition make 3D visualization of ultrasound data challenging. Direct volume rendering is a method frequently used to accomplish this task. While there are a couple of transfer function design approaches for CT and MRI data, direct volume rendering of ultrasound data commonly still relies on manual adjustment of an inflexible piecewise linear opacity transfer function (OTF) on a trial-and-error basis.

In this article, we present a method for automatic computation of optimized OTFs for visualization of sonographic datasets. The proposed algorithm extracts information about possible surfaces positions (interfaces between tissues of different echogenicity) and intensities within the viewing direction. This information is then used to modify a parabolic transfer function in a multiplicative way thus that tissue interfaces are accentuated while lower signal tissues prior to the interface in viewing direction are omitted. Our approach is inspired by a

frequent scenario: imaging of a fetus embedded in amniotic fluid.

We show that our technique is efficient and capable of providing OTFs in real time. We demonstrate the appropriateness of our approach on data sets of moderate quality arising frequently in clinical settings. Furthermore, we present considerations on temporal coherence, e.g. visualization of 4D (time varying 3D) datasets.

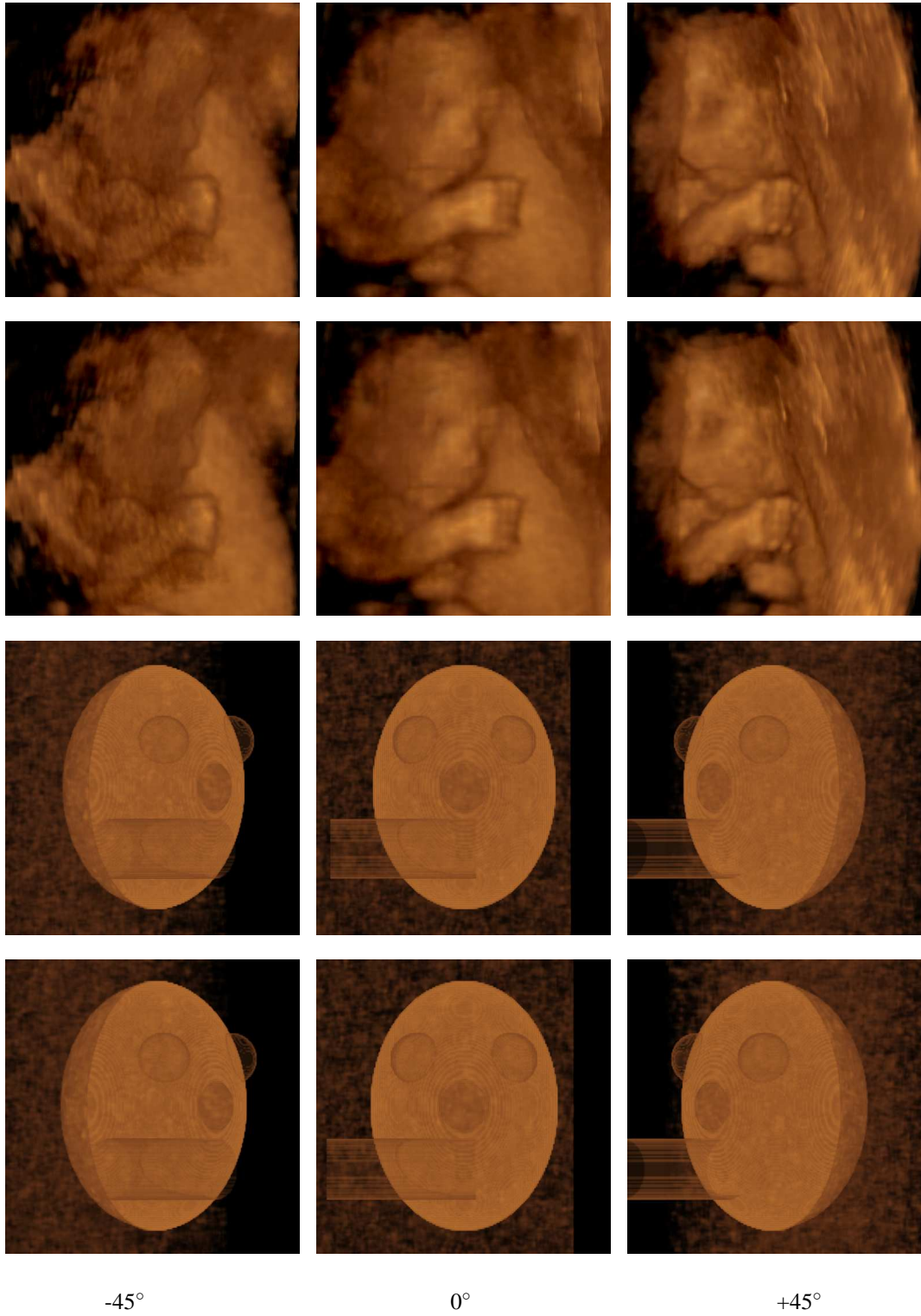
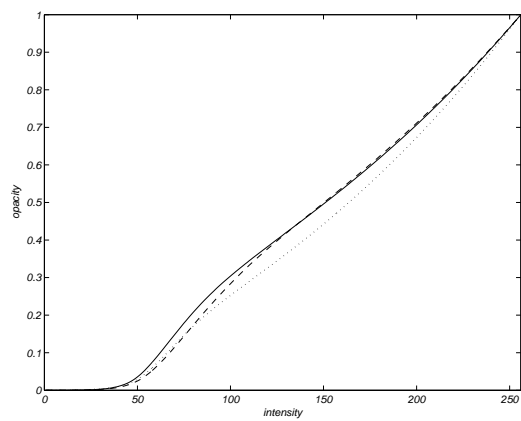
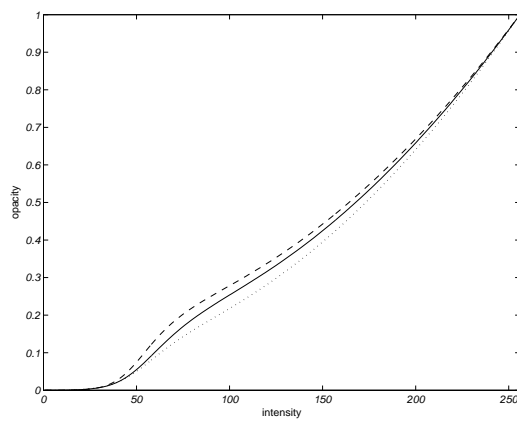


Figure 9: Renderings of a fetus and an artificial dataset using different viewing directions and OTFs (top row of each dataset: same OTF has been used for rendering of all frames, bottom row: individual OTFs have been used for each frame).



(a) Fetus



(b) artificial dataset

Figure 10: Dependence of the OTF on the viewing angle. (a) fetus dataset, (b) artificial dataset (dotted:  $-45^\circ$ , solid:  $0^\circ$ , dashed:  $+45^\circ$ )

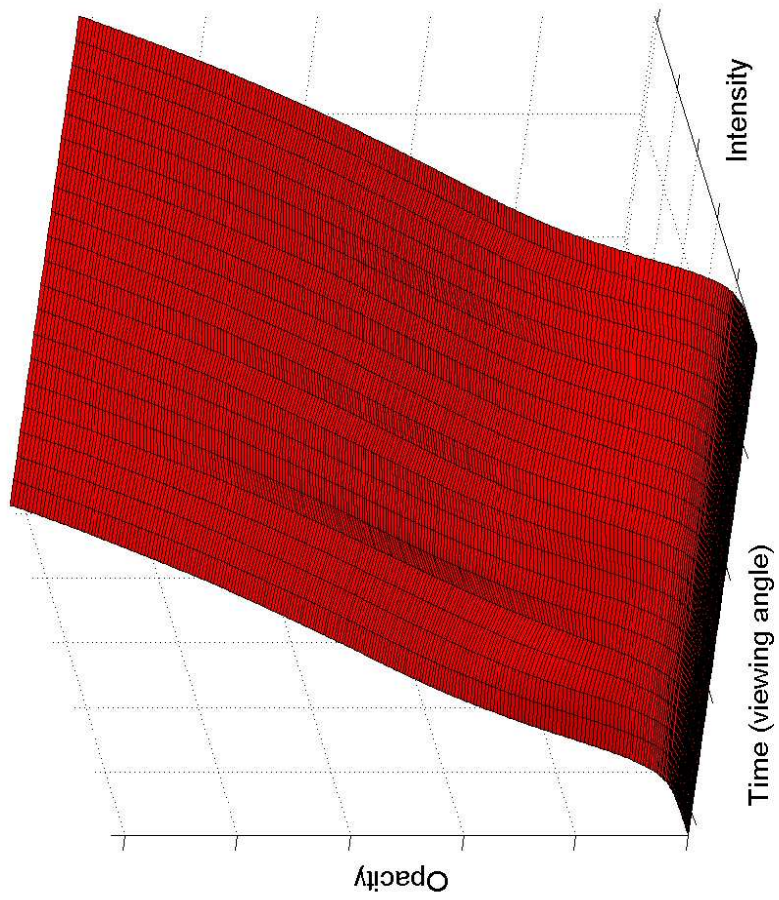
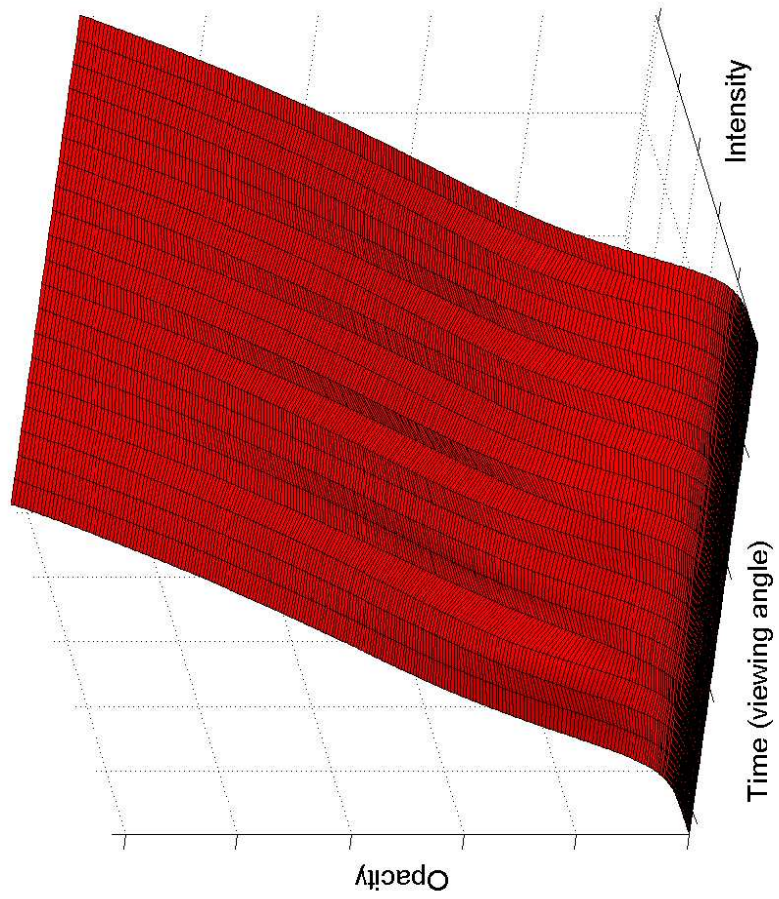


Figure 11: Effect of time domain smoothing on a subsequence of OTFs generated for a rotating fetus dataset (left: smoothed, right: original). The time domain shown covers a rotation of the dataset of  $20^\circ$ .